

### $(a, d)$ -antimagic labelings

The weight  $w(v)$  of a vertex  $v \in V(G)$  under an edge labeling  $g : E \rightarrow \{1, 2, \dots, |E|\}$  is the sum of the labels of edges incident to the vertex  $v$ .

A connected graph  $G = (V, E)$  is said to be  $(a, d)$ -antimagic (K. Wagner and R. Bodendiek, 1993) if there exist positive integers  $a, d$  and bijection  $g : E(G) \rightarrow \{1, 2, \dots, |E(G)|\}$  such that the induced mapping  $\delta_g : V(G) \rightarrow W$  is also a bijection, where  $W = \{w(v) : v \in V(G)\} = \{a, a + d, \dots, a + (|V(G)| - 1)d\}$  is the set of weights of vertices.

The following papers deal with  $(a, d)$ -antimagic labelings.

- Miller, M. - Bača, M. - Lin, Y.: *On two conjectures concerning  $(a, d)$ -antimagic labellings of antiprisms*, **The Journal of Combinatorial Mathematics and Combinatorial Computing (JCMCC)** **37** (2001), 251-254.
- Miller, M. - Bača, M.: *Antimagic valuations of generalized Petersen graphs*, **Australasian Journal of Combinatorics** **22** (2000), 135-139.
- Bača, M.: *Antimagic labelings of antiprisms*, **The Journal of Combinatorial Mathematics and Combinatorial Computing (JCMCC)** **35** (2000), 217-224.
- Bača, M.- Holländer, I.: *On  $(a, d)$ -antimagic prisms*, **Ars Combinatoria** **48** (1998), 297 - 306.

### $(a, d)$ -vertex-antimagic total labelings

The vertex-weight  $wt(x)$  of a vertex  $x \in V$ , under a labeling  $f : V \cup E \rightarrow \{1, 2, \dots, |V| + |E|\}$ , is the sum of values  $f(xy)$  assigned to all edges incident to a given vertex  $x$  together with the value assigned to  $x$  itself.

A bijection  $f : V \cup E \rightarrow \{1, 2, \dots, |V| + |E|\}$  is called an  $(a, d)$ -vertex-antimagic total labeling of  $G$  if the set of vertex-weights of all vertices in  $G$  is  $\{a, a + d, a + 2d, \dots, a + (|V| - 1)d\}$ , where  $a > 0$  and  $d \geq 0$  are two fixed integers.

Such labeling is said to be *super* if the vertices of  $G$  receive the labels  $1, 2, \dots, |V|$ .

The following papers deal with the  $(a, d)$ -vertex-antimagic total labelings.

- Ahmad, A. - Ali, K. - Bača, M. - Kovař, P. - Semaničová -Feňovčíková, A.: *Vertex-antimagic labelings of regular graphs*, **Acta Math. Sinica - English Series** **28**, Issue 9 (2012), 1865-1874.
- Sugeng, K.A. - Herawati, B.N. - Miller, M. - Bača, M.: *On magicness and antimagicness of the union of 4-regular circulant graphs*, **Australasian Journal of Combinatorics** **50** (2011), 141-153.
- Ali, G. - Bača, M.- Lin, Y. - Semaničová -Feňovčíková, A.: *Super-vertex-antimagic total labelings of disconnected graphs*, **Discrete Math.** **309** (2009), 6048-6054.
- Ali, G. - Bača, M.- Bashir, F.: *On super vertex-antimagic total labelings of disjoint union of paths*, **AKCE J. Graphs. Combin.** **6**, No.1 (2009), 11-20.

- Bača, M.- Youssef, M.Z.: *Further results on antimagic graph labelings*, **Australasian Journal of Combinatorics** **38** (2007), 163-172.
- Sugeng, K.A.- Miller, M.- Lin, Y. - Bača, M.: *Super  $(a,d)$ -vertex- antimagic total labelings*, **The Journal of Combinatorial Mathematics and Combinatorial Computing (JCMCC)** **55** (2005), 91-102.
- Bača, M. - Bertault, F. - MacDougall, J.A. - Miller, M. - Simanjuntak, R. - Slamin: *Vertex-antimagic total labelings of graphs*, **Discussiones Math. Graph Theory** **23** (2003), 67-83.
- Bača, M. - MacDougall, J.A. - Miller, M. - Slamin - Wallis, W.D.: *Survey of certain valuations of graphs*, **Discussiones Math. Graph Theory** **20** (2000), 219-229.